

Week 2 - Wednesday

**COMP 2100**

# Last time

- What did we talk about last time?
- Exceptions
- OOP
- Interfaces

# Assignment 1

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# Project 1

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Questions?

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# Generics

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# Generics

- Allow classes, interfaces, and methods to be written with a generic type parameter, then bound later
- Java does the type checking (e.g. making sure that you only put **String** objects into a **List<String>**)
- After type checking, it erases the generic type parameter
  - This works because all classes extend **Object** in Java
- Appears to function like templates in C++, but works very differently under the covers
- Most of the time you will **use** generics, not create them

# Generic classes

- You can make a class using generics
- The most common use for these is container classes
  - For example, you want a **List** class that can be a list of anything
- The JCF is filled with such generics



# Generic class example

```
public class Pair<T> {  
    private T x;  
    private T y;  
    public Pair(T a, T b ) {  
        x = a;  
        y = b;  
    }  
  
    public T getX() { return x; }  
    public T getY() { return y; }  
  
    public void swap() {  
        T temp = x;  
        x = y;  
        y = temp;  
    }  
  
    public String toString() {  
        return "(" + x + ", " + y + ")";  
    }  
}
```

# Generic class use

```
public class Test {  
    public static void main(String[] args) {  
        Pair<String> pair1 = new Pair<>("ham", "eggs");  
        Pair<Integer> pair2 = new Pair<>(5, 7);  
        pair1.swap();  
        System.out.println(pair1);  
        System.out.println(pair2);  
    }  
}
```

# JCF

Java Collections Framework

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# Container interfaces

- **Collection**
- **Iterable**
- **List**
- **Queue**
- **Set**
  - **SortedSet**
- **Map**
  - **SortedMap**

# Container classes

- `LinkedList`
- `ArrayList`
- `Stack`
- `Vector`
- `HashSet`
- `TreeSet`
- `HashMap`
- `TreeMap`

# Tools

- **Collections**

- `sort()`
- `max()`
- `min()`
- `replaceAll()`
- `reverse()`

- **Arrays**

- `binarySearch()`
- `sort()`

# Computational Complexity

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# Running Time

- How do we measure the amount of time an algorithm takes?
- Surely sorting 10 numbers takes less time than sorting 1,000,000 numbers
- Sorting 1,000,000 numbers that are already sorted seems easier than sorting 1,000,000 unsorted numbers
- We use a **worst-case, asymptotic** function of input size called Big Oh notation



# Big Oh Notation

- **Worst-case** because we care about how bad things could be
- **Asymptotic** because we ignore lower order terms and constants
- $15n^2 + 6n + 7\log(n) + 145$  is  $O(n^2)$
- $2^n + 3906n^{10000} + 892214$  is  $O(2^n)$
- If the function of  $n$  is polynomial, we say that it is *efficient* or *tractable*

# Examples

- For running time functions  $f(n)$  listed below, give the Big Oh
- $f(n) = 3n^2 + 4n + 100$ 
  - $O(n^2)$
- $f(n) = 15n^3 + n \log n + 100$ 
  - $O(n^3)$
- $f(n) = 1000n + 10000 \log n$ 
  - $O(n)$
- $f(n) = 5050$ 
  - $O(1)$

# Back to CS world

- We assume that all individual operations take the same amount of time
- So, we compute how many total operations we'll have for an input size of  $n$  (because we want to see how running time grows based on input size)
- Then, we find a function that describes that growth

# Multiplication by hand

- How long does it take to do multiplication by hand?

$$\begin{array}{r} 123 \\ \times 456 \\ \hline 738 \\ 615 \\ 492 \\ \hline 56088 \end{array}$$

- Let's assume that the length of the numbers is  $n$  digits
- ( $n$  multiplications +  $n$  carries)  $\times$   $n$  digits + ( $n + 1$  digits)  $\times$   $n$  additions
- Running time:  $O(n^2)$

# Finding the largest element in an array

- How do we find the largest element in an array?

```
int largest = array[0];
for (int i = 1; i < length; ++i) {
    if (array[i] > largest) {
        largest = array[i];
    }
}
System.out.println("Largest: " + largest);
```

- Running time:  $O(n)$  if  $n$  is the length of the array
- What if the array is sorted in ascending order?

```
System.out.println("Largest: " + array[length-1]);
```

- Running time:  $O(1)$

# Multiplying matrices

- Given two  $n \times n$  matrices  $A$  and  $B$ , the code to multiply them is:

```
double[][] c = new double[N][N];
for (int i = 0; i < N; ++i) {
    for (int j = 0; j < N; ++j) {
        c[i][j] = 0;
        for (int k = 0; k < N; ++k) {
            c[i][j] += a[i][k]*b[k][j];
        }
    }
}
```

- Running time:  $O(n^3)$
- Is there a faster way to multiply matrices?
- Yes, but it's complicated and has other problems

# Bubble sort

- Here is some code that sorts an array in ascending order
- What is its running time?

```
for (int i = 0; i < array.length - 1; ++i) {  
    for (int j = 0; j < array.length - 1; ++j) {  
        if (array[j] > array[j + 1]) {  
            int temp = array[j];  
            array[j] = array[j + 1];  
            array[j + 1] = temp;  
        }  
    }  
}
```

- Running time:  $O(n^2)$

# Printing a triangle

- Here is some code that prints out a triangular shaped set of stars
- What is its running time?

```
for (int i = 0; i < n; ++i) {  
    for (int j = 0; j <= i; ++j) {  
        System.out.print("*");  
    }  
    System.out.println();  
}
```

- Running time:  $O(n^2)$



# Mathematical issues

- What's the running time to factor a large number  $N$ ?
- How many edges are in a completely connected graph?
- If you have a completely connected graph, how many possible tours are there (paths that start at a given node, visit all other nodes, and return to the beginning)?
- How many different  $n$ -bit binary numbers are there?

# Formal definition of Big Oh

- Let  $f(n)$  and  $g(n)$  be two functions over integers
- $f(n)$  is  $O(g(n))$  if and only if
  - $f(n) \leq c \cdot g(n)$  for all  $n > N$
  - for **some** positive real numbers  $c$  and  $N$
- In other words, past some arbitrary point, with some arbitrary scaling factor,  $g(n)$  is always bigger

# Upcoming

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# Next time...

- Computing complexity
- Abstract data types (ADTs)

# CAREER JUMPSTART EVENT

Engineering & Computer Science

THURSDAY, SEPTEMBER 12TH FROM 4:45PM-7PM

Otterbein University @ The Point

Come and network with alumni and recruitment partners and learn how to be successful with your field.



SCAN the QR CODE to REGISTER



# Reminders

- Read section 1.2
- Finish Assignment 1
  - Due Friday by midnight
- Start Project 1
  - Due Friday, September 20 by midnight